

(Aruppukottai Nadargal Uravinmurai Pothu Abi Viruthi Trustuku Pathiyapattathu)

ARUPPUKOTTAI

DEPARTMENT OF MATHEMATICS QUESTION BANK

t Code :	SMTJC31

Section A (Multiple Choice Questions)

Unit I: (Force acting at a point)

1		If two forces P and Q act in the same direction then the resultant is equal to						
		(a) P+Q						
2	2. Law of parallelogram of forces:							
		(a) AB+DA=AC	(b) AB*AD=AC	(c) AB-AD=AC	(d)AB+AD=AC			
3	3. The result of two equal forces at an angle α is in a direction.							
		(a) 2P cos $\alpha/2$	(b) 3P $\cos \alpha$	(c) 2P $\cos^2 \alpha/2$	(d)None of the above			
4	4. If three forces acting at a point are in equilibrium, each forces is proportional to the sine of							
		between the other two.						
_			(b) Lemi's theorem		(d)None of the above			
5			The resolved part =		(1) 2			
		(a) 1	(b) F	(c) 0	(d)2			
Unit II: (Parallel forces and Moments)								
6. The maximum value of friction is								
		(a) μ /R		(c) R	(d) µ			
7		The coefficient of fricti						
		(a) $\tan \lambda$		(c) $\sin \lambda$	(d) $\cot \lambda$			
8	5.	If three forces acting on a rigid body are in equilibrium they must be						
			(b) Equal	(c) Concurrent	(d)Zero			
9	9. Coefficient of friction is denoted by							
		(a) F	(b) µ	(c) λ	(d)None of the above			
1	0.). If F is a friction and R is a normal reaction between two bodies when equilibrium is non-limiting						
		then	r.	F	r.			
		(a) $\frac{F}{R} < \mathbf{R}$	(b) $\frac{F}{R} > \mathbf{R}$	$(c)\frac{r}{R}=R$	$(d)\frac{F}{R} \ge R$			
Unit	п	I: (Projectile)						
Unit III: (Projectile) 11. The time taken to reach the greatest height of a projectile is of								
1	1.		(b) u sin $\alpha / 2g$		(d) $u^2 \sin 2\alpha$			
1	2.	The horizontal range R						
-		(a) $u^2 \sin 2\alpha / g$	(b) $u^3 \sin 2\alpha / g$	(c) $u^4 \sin 2\alpha / g$	(d) $u^2 \sin \alpha / g$			
1	13. The is the path which the particle describes.							
		(a) angle of projection	(b) friction	(c) trajectory	(d)none of the above			
1								
	14. The maximum horizontal range of a projectile is(a) u^2 / g (b) $u^2 / 2g$ (c) u / g (d) $u^2 / 3g$							
1	5.	5. The time of flight of a projectile is						
		(a) $2u \sin \alpha / g$	(b) $u \sin \alpha / g$	(c) $\sin \alpha / g$	(d) $3u \sin \alpha / g$			



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Unit IV: (Impulsive Forces) 16. The impulse of a force is measured as follows: (a)change in momentum (b)change in velocity (c) change in acceleration (d) None 17. By Newton's principle of impact $v_1 - v_2 =$ _____ (c) -e $(u_2 - u_1)$ (d) $(u_2 - u_1)$ (a) $e(u_1 - u_2)$ (b) $e(u_2 - u_1)$ 18. Bodies for which e=1 are said to be _ (b) perfectly elastic (a) Inelastic (c) Path (d) trajectory 19. If two sphere are perfectly elastic and of equal mass then (a) $e=1 \& m_1 = m_2$ (b) e=1 & $m_1 \neq m_2$ (c) $e \neq 1 \& m_1 = m_2$ (d) $e > 1 \& m_1 = m_2$ 20. For oblique impact when e=1, the loss of kinetic energy is (c) 0(a) 1 (b) 2 (d)3 **Unit V: (Motion under the action of central forces)** 21. Pedal equation of the central orbit (a) $\frac{h^2}{p^3} \frac{dp}{dr}$ (b) $\frac{h^3}{p^3} \frac{dp}{dr}$ (c) $\frac{p^2}{h^3} \frac{dp}{dr}$ 22. The areal velocity of a particle moving in a central orbit is _____ $(d)\frac{h^2}{p^3} \frac{dr}{dp}$ $(c)\frac{1}{3}pv$ (d) $\frac{1}{2} p$ (a) $\frac{1}{2} pv$ (b) *pv* 23. Velocity in a central orbit: (a) $\frac{h}{p}$ (b) $\frac{h^2}{p}$ $(d)\frac{h^2}{n^3}$ (c) $\frac{h}{p^2}$ 24. Pedal equation of parabola - pole at focus: ____ (a) p³=ar (b) $p=ar^2$ (c) $p^2 = ar$ (d)p=ar 25. The radial component of the velocity in a central orbit is _____ $(c)\frac{1}{r}\frac{dr}{dt}$ (a) $\frac{dr}{dt}$ (b) $\frac{d^2r}{dt^2}$ $(d) \frac{1}{r^2} \frac{dr}{dt}$

Section B (7 mark Questions)

Unit I: (Force acting at a point)

- 26. State and prove parallelogram of forces.
- 27. State and prove triangle of forces.
- 28. Two forces act on a particle. Of the sum and difference of the forces are at right angels to each other, show that the forces are of equal magnitude.
- 29. Show that a given force may be resolved into three components, acting in three given lines which are not all parallel or all concurrent.
- 30. ABC is a triangle, with a right angle at A. AD is the perpendicular on BC. Prove that the resultant of the forces $\frac{1}{AB}$ acting along AB and $\frac{1}{AC}$ acting along AC is $\frac{1}{AD}$ acting along AD

Unit II: (Parallel forces and Moments)

- 31. If three parallel forces are in equilibrium, each is proportional to the distance between the other two.
- 32. State and prove three coplanar forces theorem.
- 33. State and prove two trigonometrical theorems.
- 34. Explain law of friction.
- 35. Write coefficient of friction.



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Unit III: (Projectiles)

- 36. Write a characteristics of the motion oa a projectile.
- 37. Show that the greatest height which a particle with initial velocity v can reach on vertical wall at a distance 'a' from the point of projection is $\frac{v^2}{2g} \frac{g a^2}{2 v^2}$
- 38. Show that, for a given velocity of a projection the maximum range down and inclined plane of inclination α bears to the maximum range up the inclined plane ratio 1+ sin α / 1- sin α
- 39. Find the velocity of the projectile in magnitude and direction at the end of time t.
- 40. If v_1 and v_2 be the velocities of a projectile at the ends of a focal chord of its path and U is the velocity at the vertex. Prove that $v_1^{-2} + v_2^{-2} = U^{-2}$

Unit IV: (Impulsive Forces)

- 41. Write loss of kinetic energy in impact.
- 42. Explain fundamental laws of impact.
- 43. A smooth sphere, or particle whose mass is m and whose coefficient of restitution is e, impinges obliquely on a smooth fixed plane; to find the velocity and direction of motion after impact.
- 44. A particle is projected from a point on an inclined plane and at the rth impact it strikes the plane perpendicularly and at the nth impact is at the point of projection. Show that $e^n 2e^r + 1 = 0$
- 45. Explain the Direct impact of two smooth spheres.

Unit V: (Motion under the action of central forces)

- 46. Derive the pedal equation of a central orbit.
- 47. Explain the two fold problems in central orbit.
- 48. Derive the pedal equation of (a). Circle pole at any point (b). Parabola pole at focus.
- 49. Derive velocities in a central orbit.
- 50. A particle moves in an ellipse under a force which is always directed towards its focus. Find the law of force, the velocity at any point of the path and its period time.

Section C (10 mark Questions)

Unit I: (Forces acting at a point)

- 51. State and prove Lami's theorem.
- 52. ABC is a given triangle. Forces P,Q,R acting along the lines OA, OB, OC are in equilibrium. Prove that (i) P:Q:R=a²(b²+c²-a²):b²(c²+a²-b²):c²(a²+b²-c²) of O is the circumcenter of the triangle. (ii) P:Q:R=a:b:c if O is the orthocenter of the triangle.

Unit II: (Parallel forces and Moments)

- 53. State and prove Varigon's theorem.
- 54. A body is at rest on a rough plane inclined to the horizon at an angle greater than the angle of friction and is acted upon by a force, parallel to the plane and along the line of greatest slope; to find the limits between which the force must lie.

Unit III: (Projectile)

- 55. Show that path of a projectile is a parabola.
- 56. Explain range on a inclined plane.

Unit IV: (Impulsive Forces)

- 57. Explain loss of kinetic energy due to Direct impact of two smooth spheres.
- 58. Explain Oblique impact of two smooth spheres.



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Unit V: (Motion under the action of central forces)

- 59. Derive the differential equation of a central orbit.
- 60. Find the law of forces towards the pole under which the curve $r^n = a^n \cos n\theta$